

The first law states that when a system undergoes a cyclic change, the net heat to or from the system is equal to the net work from or to the system (i.e.

$$\sum Q = \int dQ \quad \& \quad \sum W = \int dW$$

$$\oint dQ = \oint dW \quad (1)$$

Then

one important consequence of the first law is that the energy of a system is a property that applies to the system undergoing cycle and the algebraic summation of all energy transfer across the system boundaries is zero. But if the system undergoes change of state during which both heat transfer and work are involved, the net energy transfer will be stored within the system, or the net energy $Q - W$ will be stored in the system named as internal energy (i.e.

$$Q - W = \Delta U$$

Where ΔU is the increase in the energy of the system

Also a derivation of same increase in the energy of the system for different paths shows that the change in energy between two states of the system is the same. So the energy has a definite value for every state of the system, hence it is a point function and a property of the system.

1st law of thermodynamics Application of (5) closed system (5.1

(Constant pressure process (isobaric 5.1.1

$$W = p dV$$

$$W = p dv$$

But

$$q - w = du$$

$$q - p dv = du$$

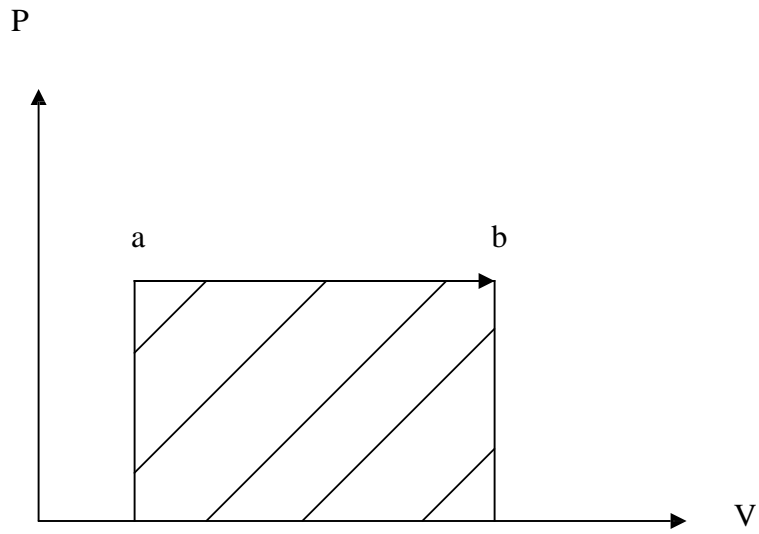
$$q = du + p dv$$

$$q = d(u + pv)$$

$$1-h2q = dh = h$$

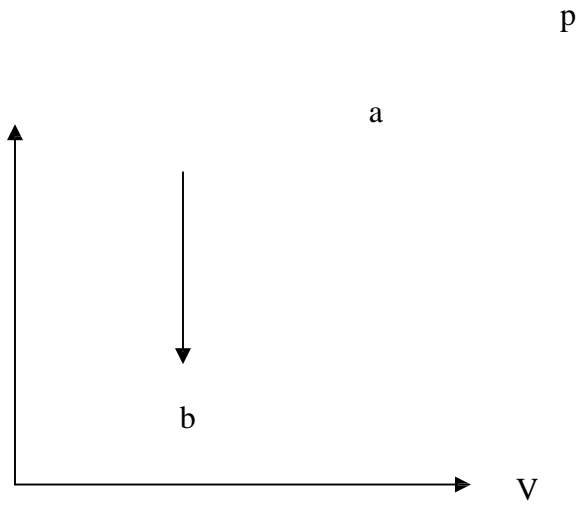
where V -volume, v -specific volume, u -specific internal energy, h - enthalpy

$$\text{But Work} = \int_a^b p dV = p(V_b - V_a) \text{ see fig below}$$



. Figure shows P-V relation in constant pressure process
 (Constant volume process(isochoric 5.1.2

Since difference in volume is zero then there is no work done



1st law yield then applying $0 W = q = du$

polytropic process 5.2.3
 this process obey