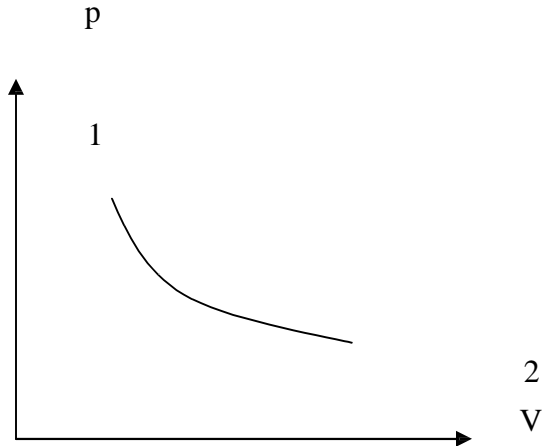


$p v^n = \text{const}$   
of process

where n is index of compression or expansion depending on the type



$p_1 v_1^n = p_2 v_2^n = p v^n$  where m is any point on the curve

Then  $\frac{p}{v^n} = \text{const}$

$$\int_{v_1}^{v_2} p \frac{p}{v^n} dv = p v_1^{n-1} \int_{v_1}^{v_2} p dv = w = \text{But } \left[ \frac{p v_1^{1-n}}{-n-1} \right]_{v_1}^{v_2} = p v_1^n \left[ \frac{v_2^{1-n} - v_1^{1-n}}{-n-1} \right]$$

Then  $w = \frac{p_1 v_1^{1-n} - p_2 v_2^{1-n}}{-n-1}$

1st law state that 1 But then  $q-w=du$

$$q = du + w = \left[ \frac{p_1 v_1^{1-n} - p_2 v_2^{1-n}}{-n-1} \right] + \left[ \frac{p_1 v_1^{1-n} - p_2 v_2^{1-n}}{-n-1} \right]$$

where a constant 1 This equation is applicable to all values of n except where n= temperature process may happen and this is called isothermal process or hyperbolic process where the work done can be derived as

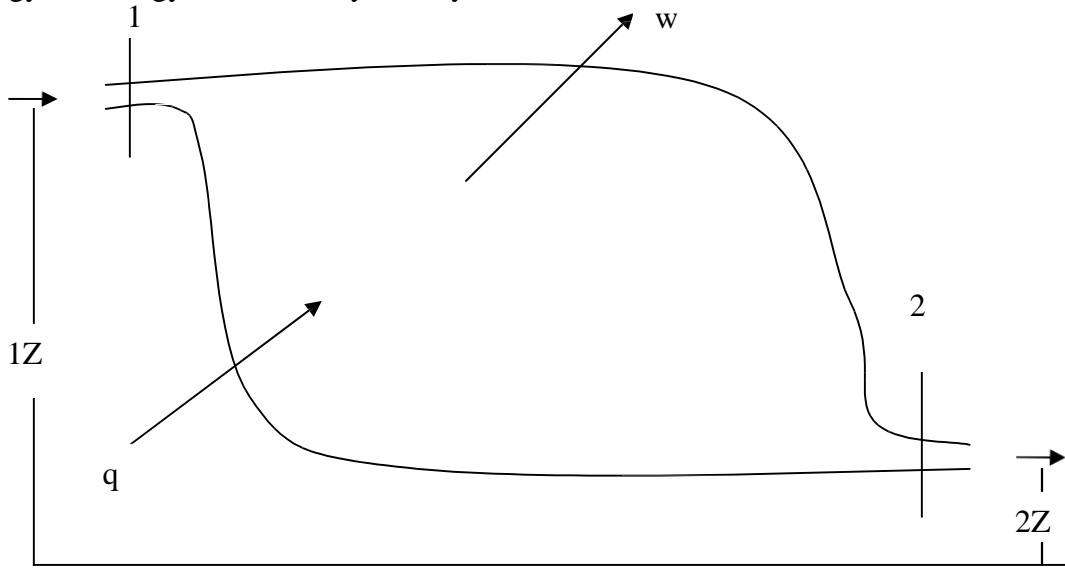
$$w = \int_{v_1}^{v_2} p dv = c \int \frac{dv}{v} = p v \ln \frac{v_2}{v_1}$$

adiabatic process q = 0  
5.2.4  
or Q = 0  
q-w=du  
then

$w = -du$   
 $0p dv + du =$   
 $0dh =$   
 $2 = h_1$  then  $h$   
 Isothermal process 5.2.5  
 $0$  then  $du = 0$  It is a process where  $dT =$   
 $q - w = du$   
 then

$q = w$   
**open system 5.3**  
 for any system

[Energy in = Energy out] in steady state system



$q + \text{flowwork}_{in} + (\text{potential} + \text{kinetic} + \text{internal})\text{Energy}_{in} =$   
 $w + \text{flowwork}_{out} + (\text{potential} + \text{kinetic} + \text{internal})\text{Energy}_{out}$

Then for steady state the flow energy equation is

$1 \quad 1 \quad 1 \quad + gz + u^2 + \frac{c_1}{2} u = w_2 + p_2 y + \frac{c}{2} q + \frac{1}{2} p v_2 + \frac{1}{2} gz + 1 \quad \text{****}$

$h = u + pv$  But then

$2 = w + h + \frac{c_1}{2} q + \frac{1}{2} p_1 gz + \frac{1}{2} p_2 gz + \frac{c}{2} + \quad \text{*****}$

The two equations above are usually referred to as S.F.E.E (i.e steady flow energy equation where  
 (q-heat(J/kg)  
 (2p-pressure(N/m  
 (/kg<sup>3</sup>v-specific volume(m